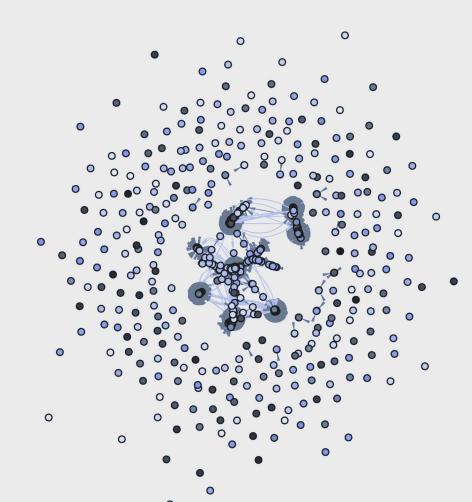
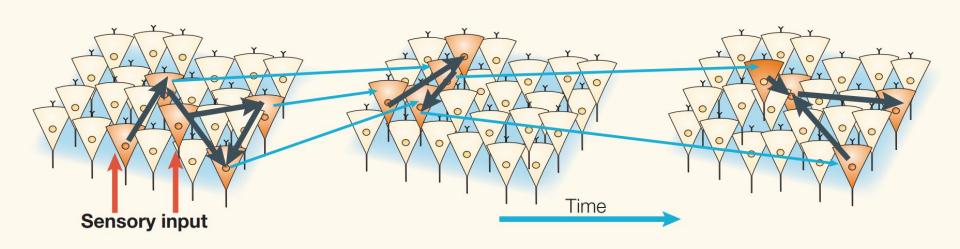
# Community detection from large spike-train data

team funci Juliana, Baruc, Luis, Sara



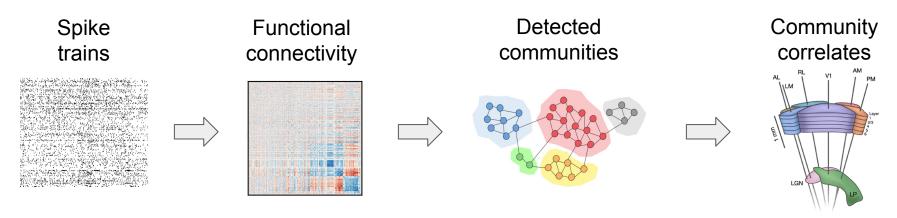


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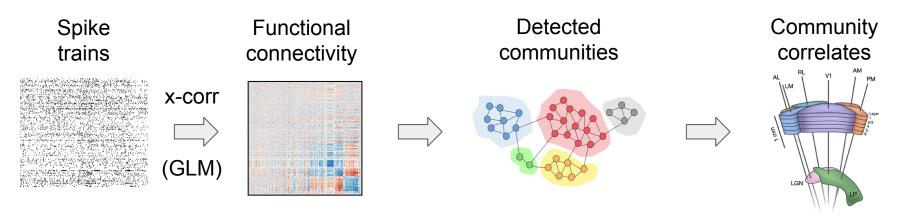
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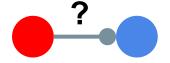


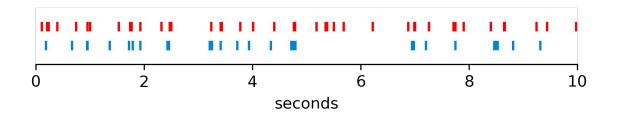
#### Data

- 1 session, 60 min, passive replay
- Multi-area
- 1,158 good units
- 34,397,026 spikes
- 668,746 pairs

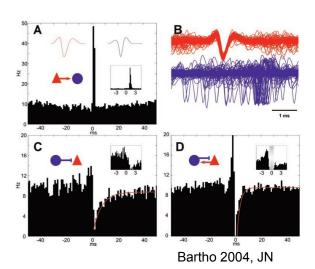


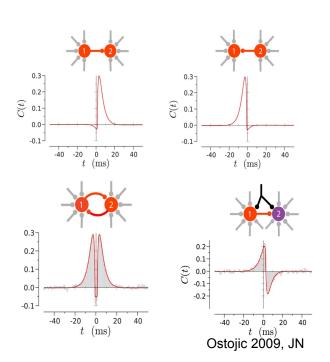
# Cross-correlograms

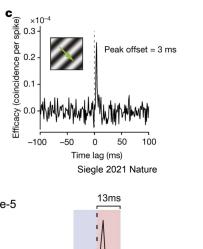


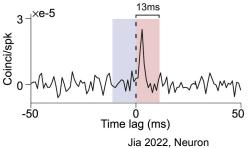


# History

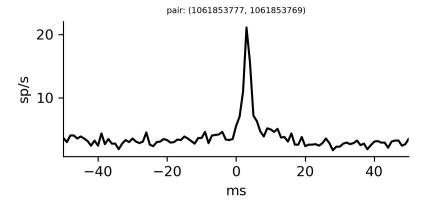


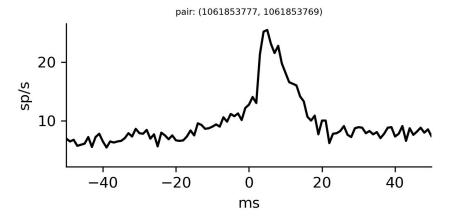


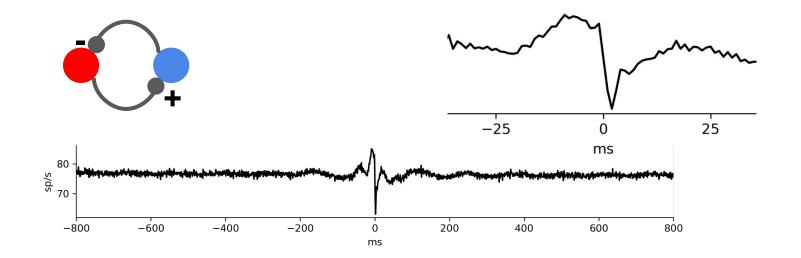


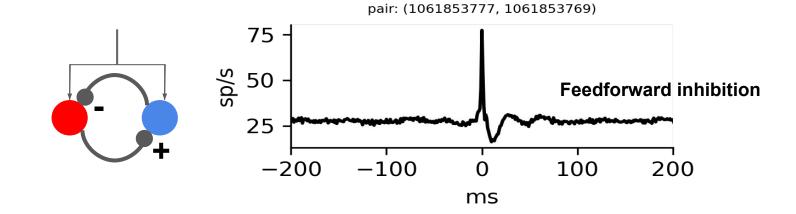


# Examples of cross-correlograms from our data

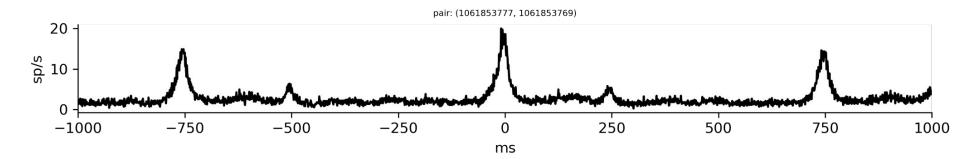




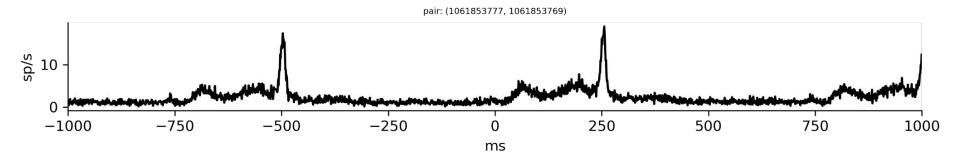


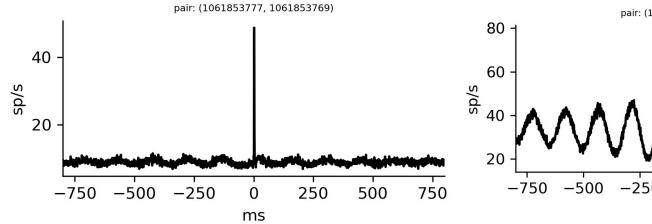


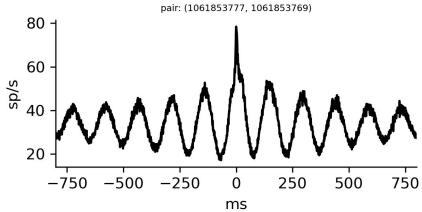
#### Pair a & b both locked to the stimulus



#### Pair a & b where a is locked to the start of the stimulus and b is locked to the stop





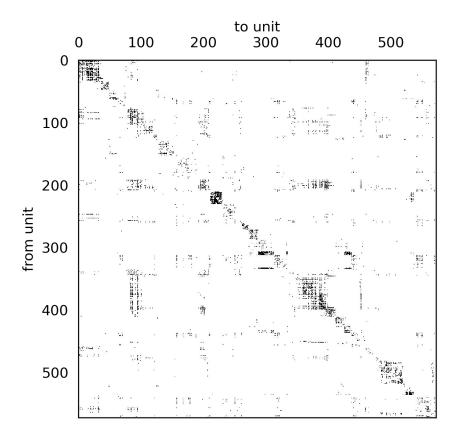


#### The connectivity matrix

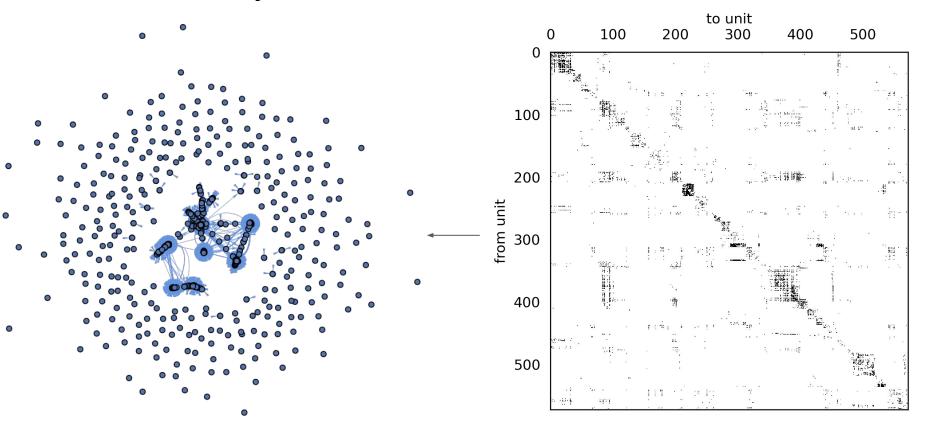
#### **Metric of connectivity**

- Cross correlograms with 1ms resolution
- Disregard zero lag peaks
- For now: not looking at inhibition(negative peaks)
- For each pair:
   Cij = z-scored peak in [0, +200] ms

Cji = z-scored peak in [-200, 0] ms



# The connectivity matrix



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- Groups of densely connected neurons, with sparser connections between groups (groups of highly correlated neurons during passive replay).
- Measure modularity

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m = total edges in graph A = adjacency matrix  $k_i^{\text{in}} = \text{in-degree of node } i$   $k_j^{\text{out}} = \text{out-degree of node } j$   $\delta_{c_i,c_j} = \begin{cases} 1 & \text{if } c_i = c_j \\ 0 & \text{if } c_i \neq c_j \end{cases}$ 

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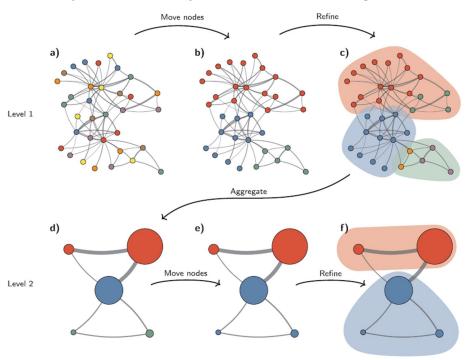


$$Q_1 < Q_2$$

$$m = \text{total edges in graph}$$
 $A = \text{adjacency matrix}$ 
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### Leiden algorithm

Greedy modularity optimization algorithm for directed, weighted graphs.



Start with singletons partition

**Move nodes**: visit all nodes (random order but in a smart way). Determine best community for each (increase in Q).

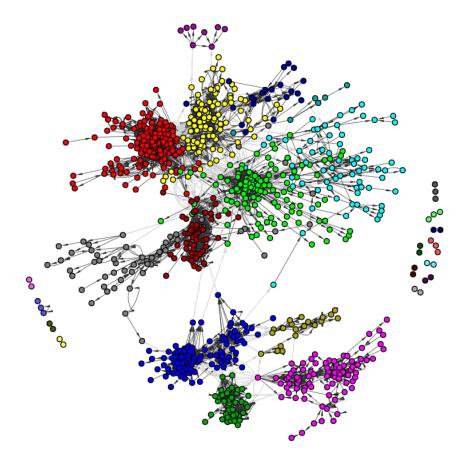
**Refine**: avoids having disconnected components

**Aggregate**: nodes are refined partition and edges are summed across communities

Start over on this new graph.

Traag, V.A., Waltman, L. & van Eck, N.J. From Louvain to Leiden: guaranteeing well-connected communities. *Sci Rep* 9, 5233 (2019).

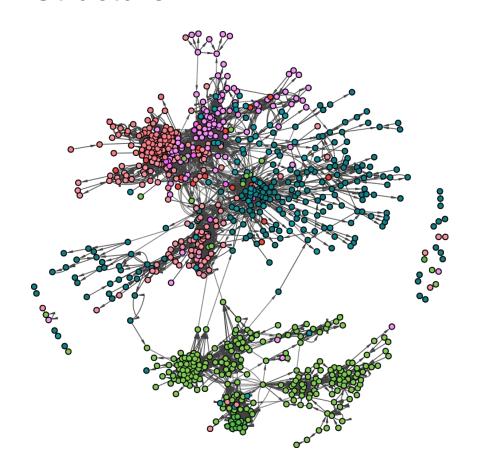
### Results: communities

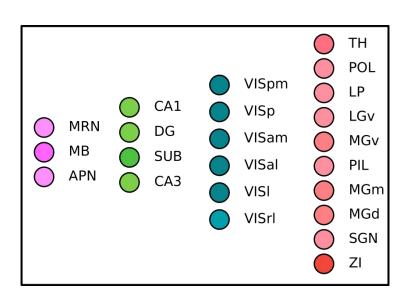


Community ID	Number of members (n)
0	151
1	120
2	103
3	98
4	82
5	68
6	55
7	55
8	45
9	22
10	20
11	8
12	6

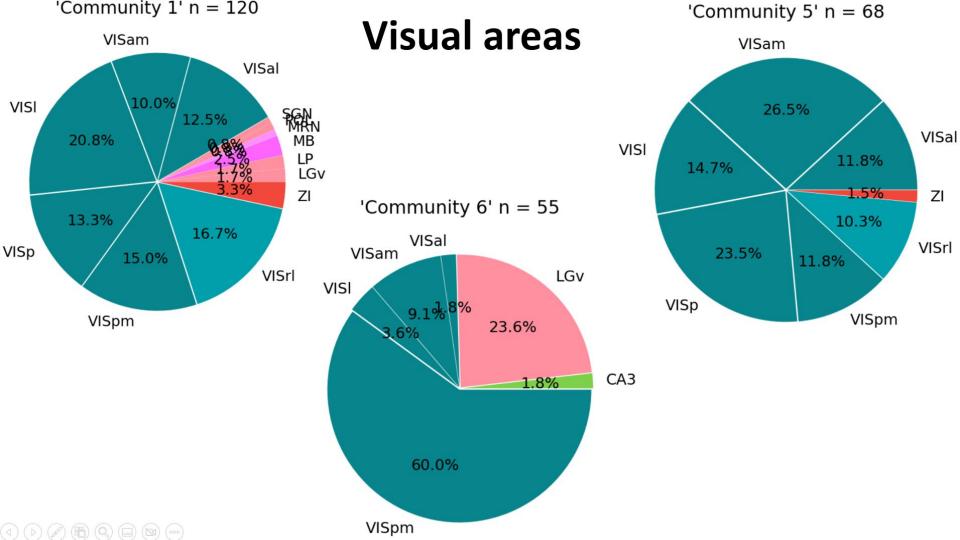
Community ID	Number of members (n)
15	3
16	3
13	3
14	3
17	2
18	2
19	2
20	2
21	2
22	2
23	2
24	2 2
25	2

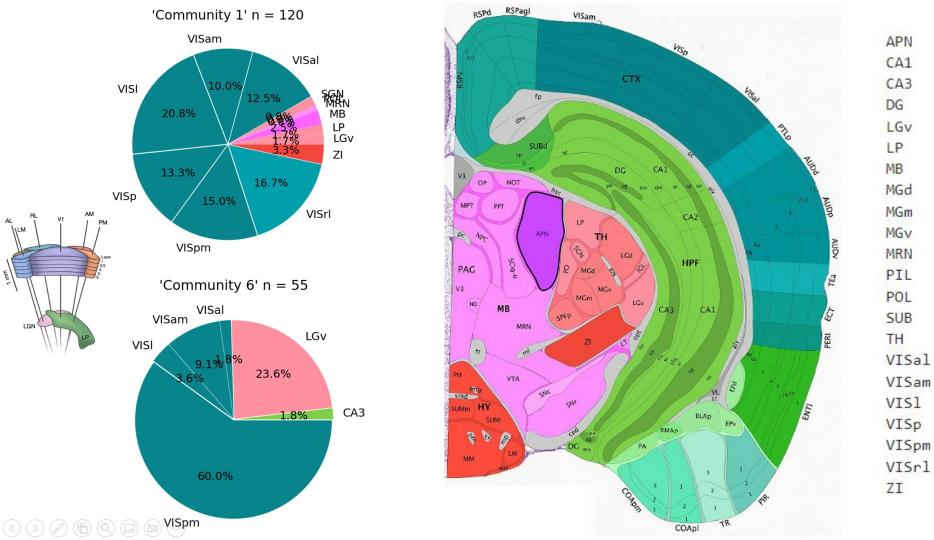
#### Structure

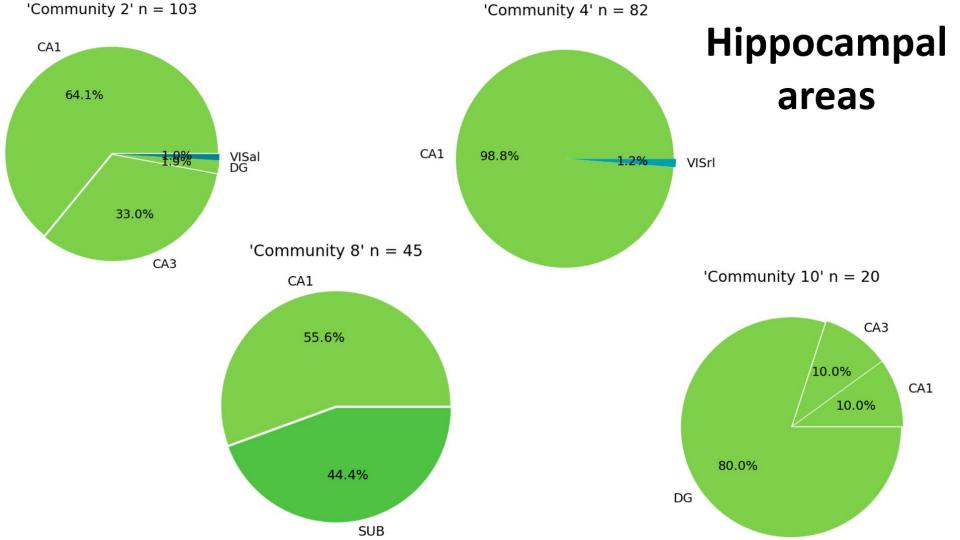




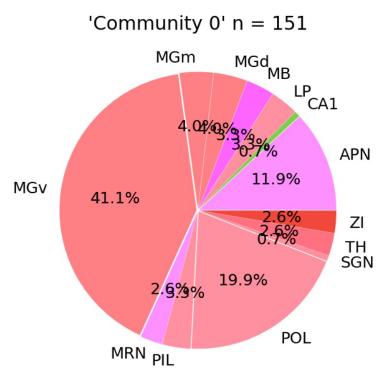


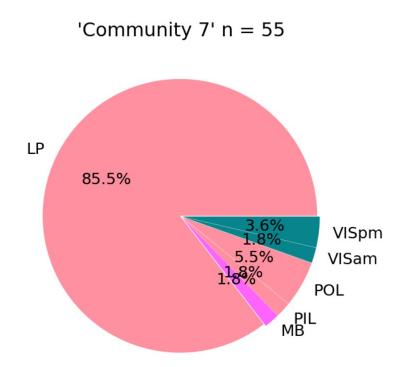




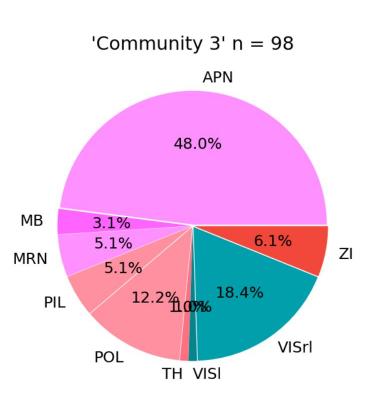


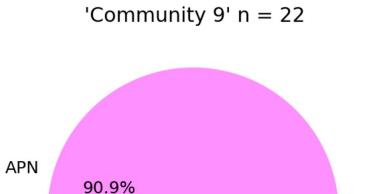
# Thalamic areas





# Midbrain areas





4.5%

4.5%

ΖI

VISrl



#### Conclusions

We were able to extract short time-scale pairwise interactions using cross correlograms.

Leiden algorithm proves to be efficient at handling large networks, and succeeds at revealing structure in functional brain networks.

We successfully identified and quantified communities of cells functionally connected in different areas of the brain.

Identifying functional connectivity could shed some light in deciphering the neural circuits involved in a specific behavioral outcome.

Thank you!

Questions?